

An Analysis of an Example by the Theory (Koga 2000: 95-98, and 99)

For example, the complement-head phrase rule identifies /kodomo ga/ ‘child-NOM’ as a complement-head phrase, as represented in the Feature Value Structure below. Since a MOD value is a head-feature value, the MOD value of the complement-head phrase /kodomo ga/ ‘child NOM’ structure-shares with that of the head daughter /ga/ ‘NOM’. The nominative morpheme /ga/ has the MOD value containing [HD-ARG-ST [REL^{NOM} {Y | {x | child’(x)} ∩ Y ≠ ∅}]] since the REL^{NOM} value structure-shares with the content of the complement phrase, which is computed from [[ARG **child’(x^{QUAN})**] [REL^{QUAN} {(X, Y) | X ∩ Y ≠ ∅}]], as will be made clear later. The complement-head phrase /kodomo ga/ ‘child NOM’ has the MOD value that contains [HD-ARG-ST [REL^{NOM} {X | {x | **child’(x)**} ∩ X ≠ ∅}]].

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| (1) <i>kodomo ga</i> | |
| [HEAD [1] | |
| COMPS [2] | |
| CONTENT [3] | |
| NON-HD-DTR | |
| <i>kodomo</i> | |
| [4] [HEAD <i>n</i> | |
| COMPS <i>end</i> | |
| HD-ARG-ST [5] | |
| CONTENT | |
| [5] [ARG child’(x^{QUAN}) | |
| [REL ^{QUAN} {(X, Y) X ∩ Y ≠ ∅}]]] | |
| HD-DTR | |
| <i>ga</i> | |
| [HEAD [1] <i>k</i> | |
| [KFORM <i>nom</i> | |
| [MOD [HEAD <i>v</i> [VFORM <i>finite</i> | |
| [HD-ARG-ST [REL ^{NOM} [5]]]]] | |
| COMPS | |
| [FIRST [4] | |
| [HEAD <i>n</i> | |
| [CONTENT [5]]]] | |
| [REST [2] <i>end</i> | |
| [CONTENT [3] <i>no</i> | |

The case phrase /zyon ga/ ‘John-NOM’, adjoining to a finite verb constituent, structure-shares the content of the noun complement, i.e., {X | {x | **child’(x)**} ∩ X ≠ ∅}, with the REL^{NOM} value of the head argument structure of the head daughter.

The argument/adjunct phrase rule identifies, e.g., /kodomo ga neru/ ‘a child sleeps’,

(3) kodomo ga neru

CONTENT

$\left[\text{REL}^{\text{NOM}} \{ \mathbf{X} \mid \{ \mathbf{x} \mid \text{child}'(\mathbf{x}) \} \cap \mathbf{X} \neq \emptyset \} \right]$
 $\left[\text{ARG sleep}'(\mathbf{x}^{\text{NOM}}) \right]$

Thus, the theory as a whole together with the Interpretation of Semantic Representations predicts that the content of the string is:

(4) $\{ \mathbf{x} \mid \text{sleep}'(\mathbf{x}) \} \in \{ \mathbf{X} \mid \{ \mathbf{x} \mid \text{child}'(\mathbf{x}) \} \cap \mathbf{X} \neq \emptyset \}$
= $\{ \mathbf{x} \mid \text{child}'(\mathbf{x}) \} \cap \{ \mathbf{x} \mid \text{sleep}'(\mathbf{x}) \} \neq \emptyset$
= $\exists \mathbf{x}[\text{child}'(\mathbf{x}) \ \& \ \text{sleep}'(\mathbf{x})]$